

1 Pre-Check

- 1.1 True or False. The goals of floating point are to have a large range of values, a low amount of precision, and real arithmetic results
- 1.2 True or False. The distance between floating point numbers increases as the absolute value of the numbers increase.
- 1.3 True or False. Floating Point addition is associative.

2 Floating in the 61Sea

The IEEE 754 standard defines a binary representation for floating point values using three fields.

- The *sign* determines the sign of the number (0 for positive, 1 for negative).
- The *exponent* is in **biased notation**. For instance, the bias is -127 which comes from $-(2^{8-1} - 1)$ for single-precision floating point numbers.
- The *significand* or *mantissa* is akin to unsigned integers, but used to store a fraction instead of an integer.

The below table shows the bit breakdown for the single precision (32-bit) representation. The leftmost bit is the MSB and the rightmost bit is the LSB.

1	8	23
Sign	Exponent	Mantissa/Significand/Fraction

For normalized floats:

$$\text{Value} = (-1)^{\text{Sign}} * 2^{\text{Exp} + \text{Bias}} * 1.\text{significand}_2$$

For denormalized floats:

$$\text{Value} = (-1)^{\text{Sign}} * 2^{\text{Exp} + \text{Bias} + 1} * 0.\text{significand}_2$$

Exponent	Significand	Meaning
0	Anything	Denorm
1-254	Anything	Normal
255	0	Infinity
255	Nonzero	NaN

Note that in the above table, our exponent has values from 0 to 255. When translating between binary and decimal floating point values, we must remember that there is a bias for the exponent.

- 2.1 Convert the following single-precision floating point numbers from binary to decimal or from decimal to binary. You may leave your answer as an expression.

- 0x00000000
- 8.25
- 0x0000F00
- 39.5625
- 0xFF94BEEF
- $-\infty$
- $1/3$

As we saw above, not every number can be represented perfectly using floating point. For this question, we will only look at positive numbers.

- 2.1 What is the next smallest number larger than 2 that can be represented completely?
- 2.2 What is the next smallest number larger than 4 that can be represented completely?
- 2.3 What is the largest odd number that we can represent? Hint: Try applying the step size technique covered in lecture.

3 Pass-by-who?

- 3.1 Implement the following functions so that they work as described.
- (a) Swap the value of two **ints**. *Remain swapped after returning from this function.*
Hint: Our answer is around three lines long.

```
void swap(_____, _____) {
```

- (b) Return the number of bytes in a string. *Do not use strlen.*
Hint: Our answer is around 4 lines long.

```
int mystrlen(_____) {
```

4 Debugging

- 4.1 The following functions may contain logic or syntax errors. Find and correct them.

(a) Returns the sum of all the elements in `summands`.

```

1  int sum(int *summands) {
2      int sum = 0;
3      for (int i = 0; i < sizeof(summands); i++)
4          sum += *(summands + i);
5      return sum;
6  }
```

(b) Increments all of the letters in the `string` which is stored at the front of an array of arbitrary length, `n >= strlen(string)`. Does not modify any other parts of the array's memory.

```

1  void increment(char *string, int n) {
2      for (int i = 0; i < n; i++)
3          *(string + i)++;
4  }
```

(c) Copies the string `src` to `dst`.

```

1  void copy(char *src, char *dst) {
2      while (*dst++ = *src++);
3  }
```

(d) Overwrites an input string `src` with "61C is awesome!" if there's room. Does nothing if there is not. Assume that `length` correctly represents the length of `src`.

```

1  void cs61c(char *src, size_t length) {
2      char *srcptr, replaceptr;
3      char replacement[16] = "61C is awesome!";
4      srcptr = src;
5      replaceptr = replacement;
6      if (length >= 16) {
7          for (int i = 0; i < 16; i++)
8              *srcptr++ = *replaceptr++;
9      }
10 }
```

5 Allocation

- 5.1 Write the code necessary to allocate memory on the heap in the following scenarios
- (a) An array `arr` of k integers
 - (b) A string `str` containing p characters
 - (c) An $n \times m$ matrix `mat` of integers initialized to zero.

6 Linked List

Suppose we've defined a linked list `struct` as follows. Assume `*lst` points to the first element of the list, or is `NULL` if the list is empty.

```
struct ll_node {
    int first;
    struct ll_node* rest;
}
```

- 6.1 Implement `prepend`, which adds one new value to the front of the linked list. Hint: why use `ll_node **lst` instead of `ll_node*lst`?

```
void prepend(struct ll_node** lst, int value)
```

- 6.2 Implement `free_ll`, which frees all the memory consumed by the linked list.

```
void free_ll(struct ll_node** lst)
```